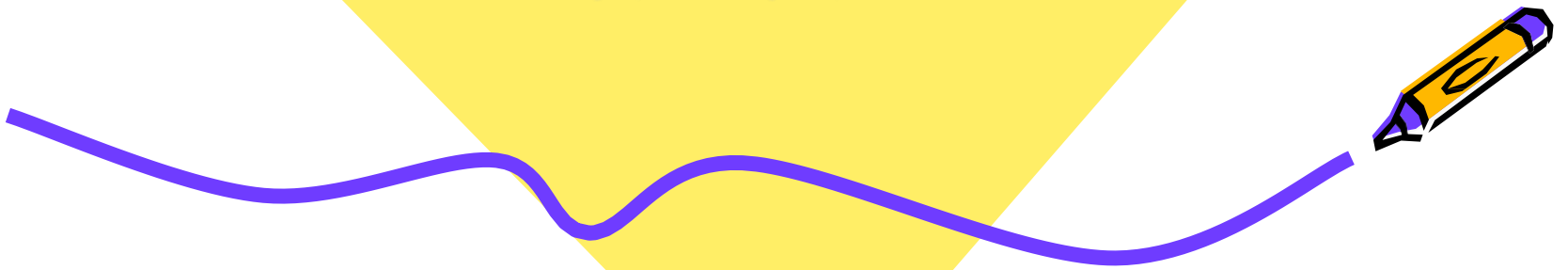




Falling Bodies

Free Fall



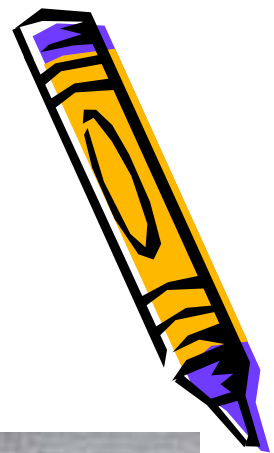
Gravity

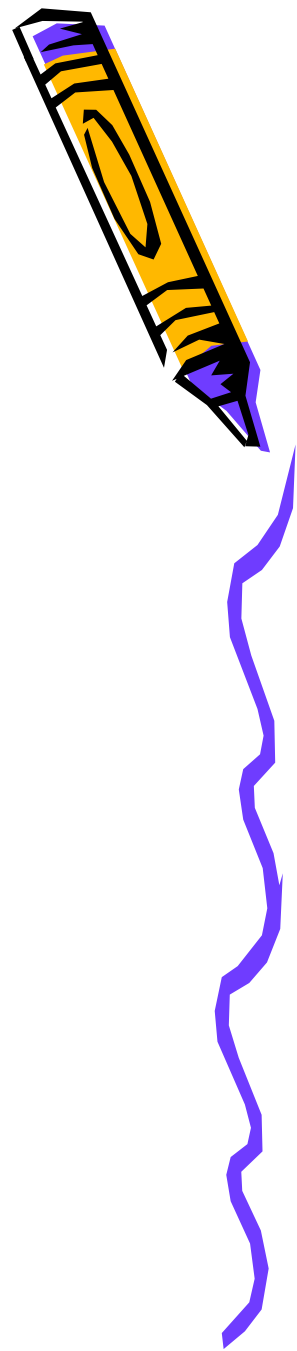
- The attraction due to gravitation that the Earth exerts on or near its surface



Christian Huygens

- First one to determine the magnitude of gravity from the swing of the pendulum using a ruler and a good timepiece.

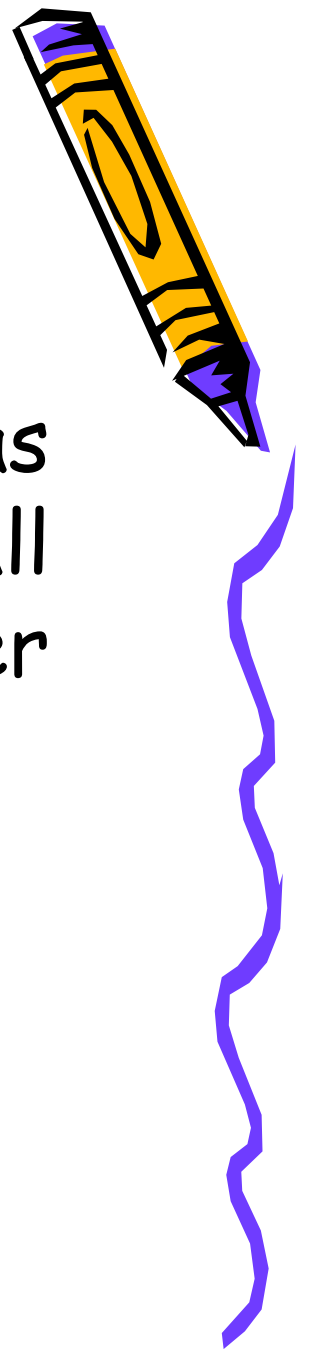




The magnitude of gravity is

$$g = 9.8 \frac{m}{s^2}$$

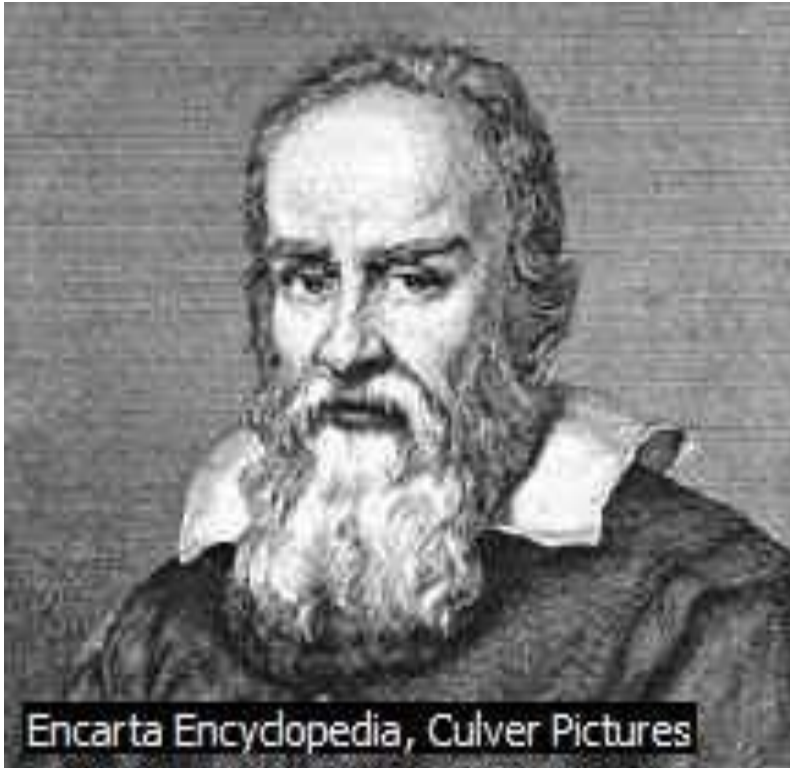




- In the late 16th century, it was believed that heavier objects fall first to the ground than the lighter ones.



Galileo



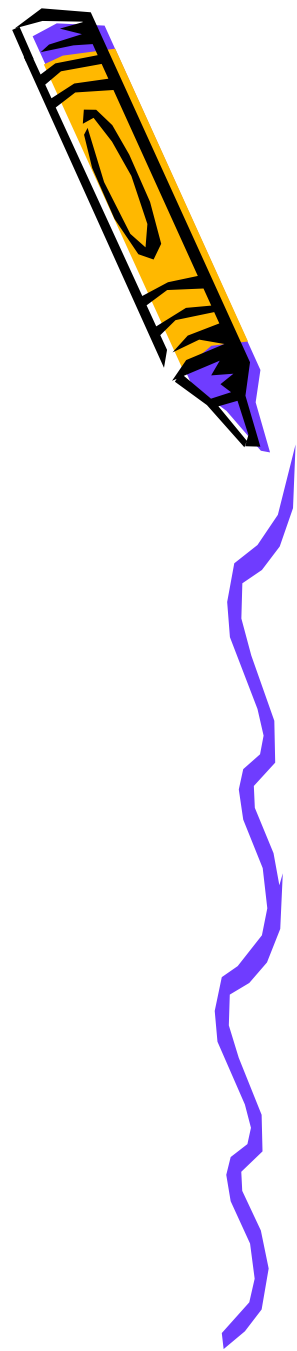
- Proved that regardless of weight and air resistance, the rate of fall of all falling bodies are the same.





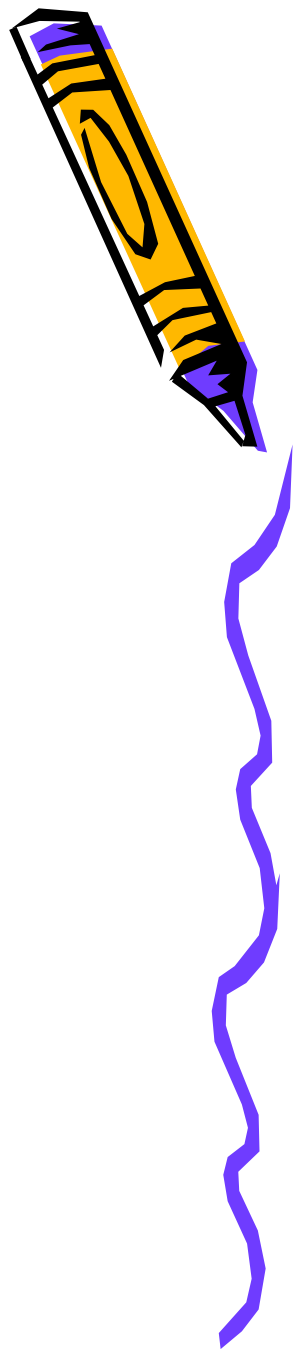
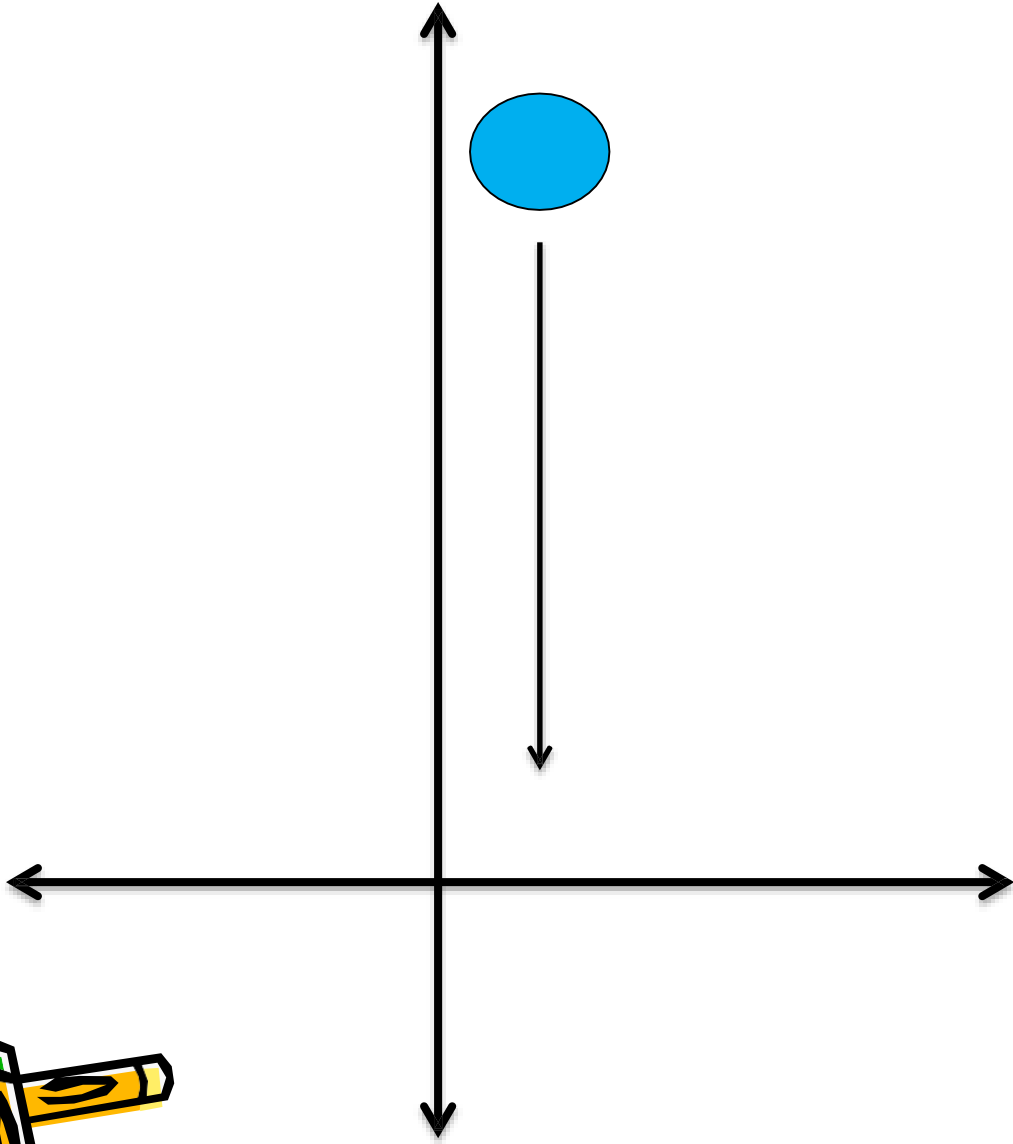
Experiment of Galileo

Materials: metal ball, inclined plane, and a water timer



How can we measure
the distance covered
and final velocity of a
falling body?





Displacement of Falling Bodies



$$d_y = v_{y_0}t + \frac{gt^2}{2}$$

Where:

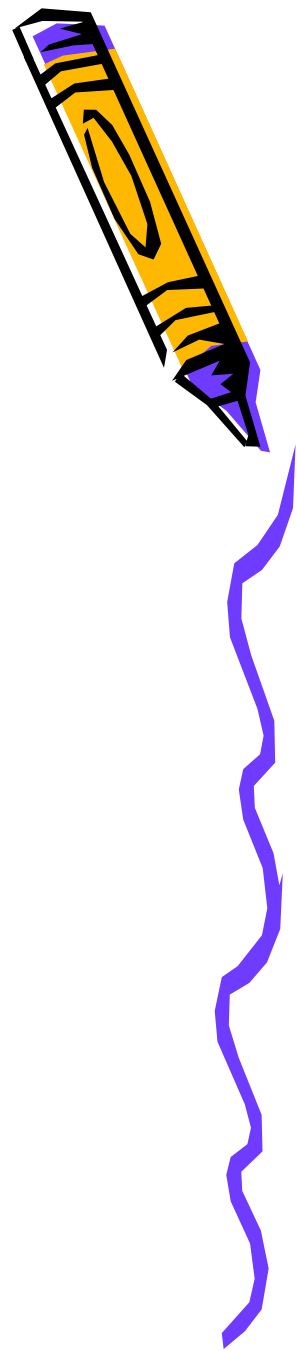
d_y is displacement

v_{y_0} is initial velocity

g is gravity (9.8m/s^2)

t is time interval



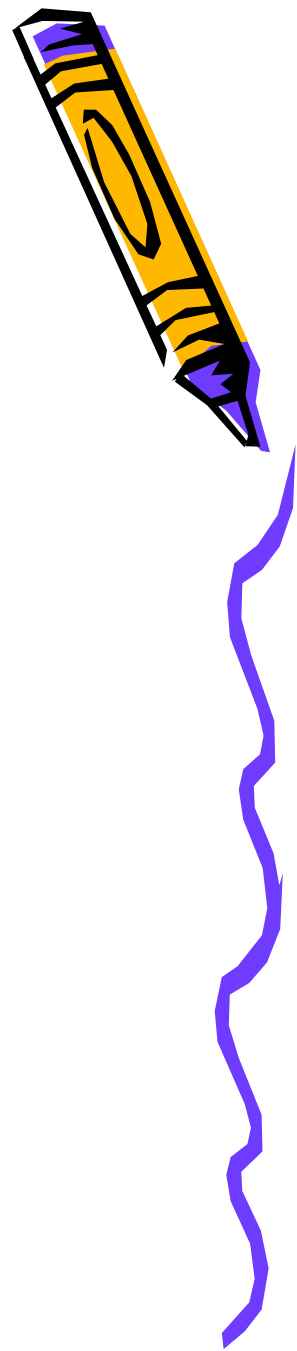
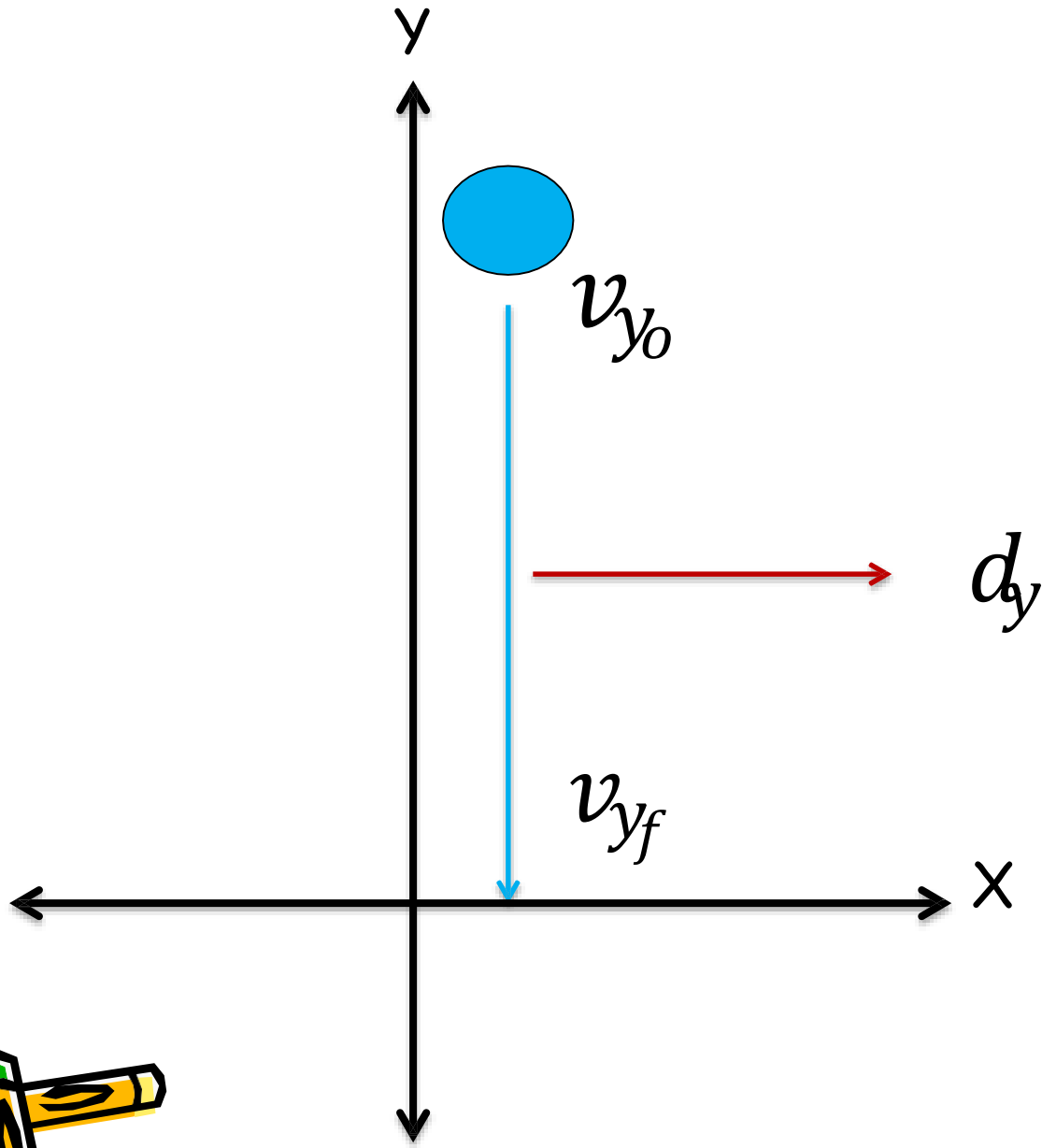


Velocity of Falling Bodies

$$v_{yf} = v_{y0} + gt$$

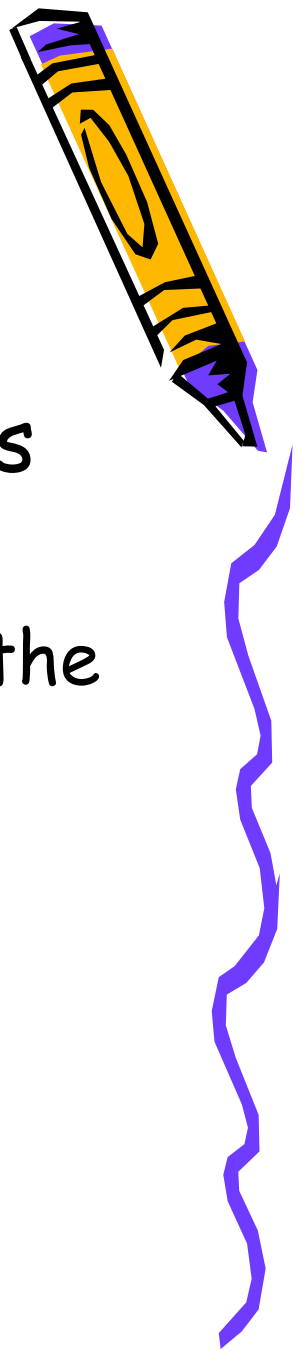
Where v_{yf} is final velocity.





Sample Problem:

- The time a male bungee jumper is freely falling is 1.5 seconds.
 - What is the velocity of the jumper at the end of 1.5 seconds?
 - How far does he fall?





DISTANCE





Given:

- $v_i = 0$
- $t = 1.5 \text{ s}$ $g = 9.8 \text{ m/s}^2$
- $v_f = v_i + gt$
- $v_f = 0 + (9.8 \text{ m/s}^2)(1.5 \text{ s})$
- $v_f = 14.7 \text{ m/s}$ or 15 m/s

- $d = v_i t + \frac{gt^2}{2}$
- $d = (0)(1.5 \text{ s}) + (9.8 \text{ m/s}^2)(1.5 \text{ s})^2 / 2$
- $d = 11.025 \text{ m}$ or 11 m

